

# gx - A program for simulating galaxy-collisions

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## 1 Introduction

This program supports a spatial modeling of galaxy interactions. It was developed because the forming of spiral arms is an interesting part of the *Galactic Astronomy*. The current version (*v1.2*) uses approximative equations of motion : The masses of the galaxies are unified in the centres of the disks and I use a number of test stars to indicate the individual stellar-motions in the halo. These stars indicate the formation of spiral arms after strong galaxy-interaction. There is no interaction between the test stars, so their equation of motion is equivalent with a restricted three body problem.

The integration of the equations of motion is very simple: see section 3.1 for more details.

The program supports many **UNIX** platforms: it was tested under *Linux*, *SunOS* and *Solaris*.

The program is able to present an animation in a window using the standard *X11R6* library. Optionally you can save pictures in raw *PBM* (or in *ascii PGM*) format.

## 2 Installing and running gx

The program is distributed in `tar.gz` format, you can untar it with:

```
gzip -dc gx.tar.gz|tar xvf -
```

Please read first the file `COPYRIGHT`. For compiling it, try simply: `make`. The program tries to find out under which platform will run. If an error occurs, edit `Makefile`. Probably you have to edit `config.h` for changing

some compile-time options. Its usage is very simple: you can set all the initial conditions of the galaxies by editing a file named `gx.in`. For running it, `cd` to the directory where `gx.in` is, and invoke the command: `./gxx`.

## 3 How it works

### 3.1 Equations of motion

The program uses the unit system of the celestial mechanics(  $\mathcal{M}_\odot$  for the mass, *mean solar day* for the time and *AU* for the distance ).

The galaxies center's equations of motion are:

$$\ddot{\mathbf{r}}_{1,2} = \mathbf{a}_{1,2}, \text{ where } \mathbf{a}_1 = \frac{k^2 \mathcal{M}_1}{|\mathbf{r}_2 - \mathbf{r}_1|^3} (\mathbf{r}_2 - \mathbf{r}_1) \text{ and } \mathbf{a}_2 = \frac{k^2 \mathcal{M}_2}{|\mathbf{r}_2 - \mathbf{r}_1|^3} (\mathbf{r}_1 - \mathbf{r}_2).$$

Supposing that over small  $\Delta t$  time intervals  $\mathbf{a}_{1,2}$  is constant, we obtain:

$$\mathbf{r}_{1,2}(t + \Delta t) = \mathbf{r}_{1,2}(t) + \mathbf{v}_{1,2}(t)\Delta t + \frac{\mathbf{a}_{1,2}(t)}{2}(\Delta t)^2,$$

where  $\mathbf{v}_{1,2}$  is the velocity, and:  $\mathbf{v}_{1,2}(t + \Delta t) = \mathbf{v}_{1,2}(t) + \mathbf{a}_{1,2}\Delta t$ .

The test star's equations of motion are:

$$\ddot{\mathbf{r}}_i = \mathbf{a}_i, \text{ where } \mathbf{a}_i = \frac{k^2 \mathcal{M}_1}{|\mathbf{r}_1 - \mathbf{r}_i|^3} (\mathbf{r}_1 - \mathbf{r}_i) + \frac{k^2 \mathcal{M}_2}{|\mathbf{r}_2 - \mathbf{r}_i|^3} (\mathbf{r}_2 - \mathbf{r}_i).$$

Similarly:

$$\mathbf{r}_i(t + \Delta t) = \mathbf{r}_i(t) + \mathbf{v}_i(t)\Delta t + \frac{\mathbf{a}_i(t)}{2}(\Delta t)^2, \quad \mathbf{v}_i(t + \Delta t) = \mathbf{v}_i(t) + \mathbf{a}_i\Delta t.$$

### 3.2 Initial conditions

It uses an  $O_{xyz}$  mass-central reference frame . The initial conditions of the galaxies are:

$$\mathbf{r}_1(0) = \begin{bmatrix} 0 \\ -a \\ -b \end{bmatrix}, \mathbf{v}_1(0) = \begin{bmatrix} 0 \\ 0 \\ 0 \end{bmatrix},$$

$$\mathbf{r}_2(0) = \begin{bmatrix} 0 \\ y_0 - a \\ \rho - b \end{bmatrix}, \mathbf{v}_2(0) = \begin{bmatrix} 0 \\ -v_\infty \\ 0 \end{bmatrix},$$

where  $a = \frac{\mathcal{M}_2}{\mathcal{M}_1 + \mathcal{M}_2} y_0$  and  $b = \frac{\mathcal{M}_2}{\mathcal{M}_1 + \mathcal{M}_2} \rho$ .

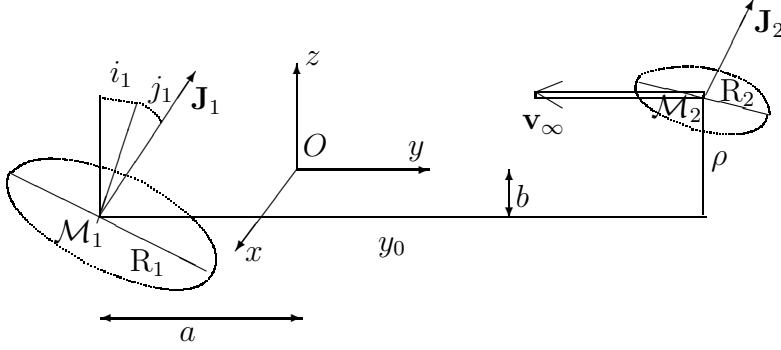


Figure 1: The galaxies and the  $O_{xyz}$  reference frame

There is a speciality in the initial conditions for the galaxies and the test stars:

$$\left(\frac{d\mathbf{J}_i}{dt}\right)\Big|_{t=0} = \mathbf{0},$$

$$\left(\frac{d\mathbf{J}_{1,2}}{dt}\right)\Big|_{t=0} = \mathbf{0} \Leftrightarrow \left(\left(\frac{di_{1,2}}{dt}\right)\Big|_{t=0} = 0 \ \& \ \left(\frac{dj_{1,2}}{dt}\right)\Big|_{t=0} = 0 \ \& \ \left(\frac{d|\mathbf{J}_{1,2}|}{dt}\right)\Big|_{t=0} = 0\right),$$

where  $\mathbf{J}$  is the angular momentum.

$\mathbf{J}$  is constant for the whole system, but not for the galaxies, for this reason  $\mathbf{J}$  and the symmetry-planes of the galaxies rotate  $\Rightarrow$  the galactic longitude of the test stars change,  $\Rightarrow$  the force acting on the test stars changes (  $\Rightarrow$  the model is not exact... )

The initial conditions of the test stars are:

$$\mathbf{r}_i(0) = \mathbf{r}_{1,2}(0) + \mathcal{O}_{1,2}^{-1}(\mathbf{r}_i^{(1,2)}(0)).$$